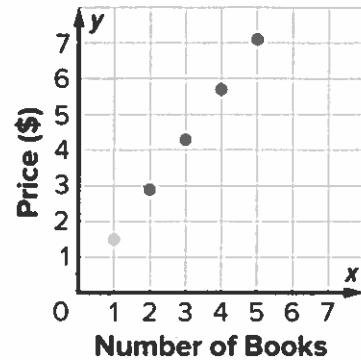


# Discrete and Continuous Functions Notes (Part 1)

1. The Bargain Book Barn sells young adult novels on a sliding scale. That is, the more books you buy, the cheaper they are. Let  $f(x)$  model the store's prices for given quantities. Is  $f(x)$  *discrete* or *continuous*? Explain your reasoning.

The Bargain Book Barn	
Number of Books	Price (\$)
1	1.50
2	2.90
3	4.30
4	5.70
5	7.10



Discrete

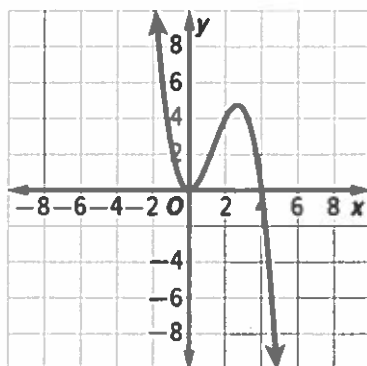
2. At the end of 2017, the average retail price of bananas was \$0.56 per pound. The table shows the price, in dollars, for various weights of bananas, in pounds. Let  $f(x)$  model the price for a given weight.

Weight (lbs)	Price (\$)
1	0.56
1.5	0.84
2	1.12
3	1.68
5	2.80

Is this situation discrete or continuous?

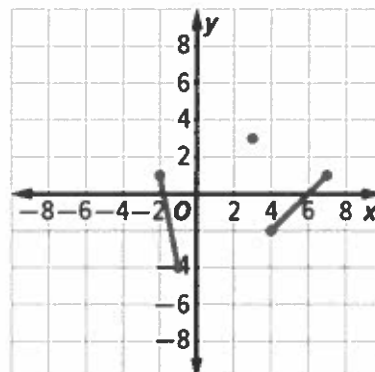
3. Determine whether  $f(x)$  and  $g(x)$  are *continuous*, *discrete*, or *neither*. Explain your reasoning.

a.



C

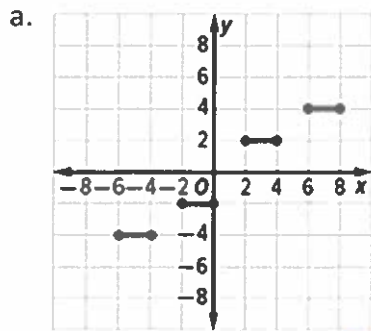
b.



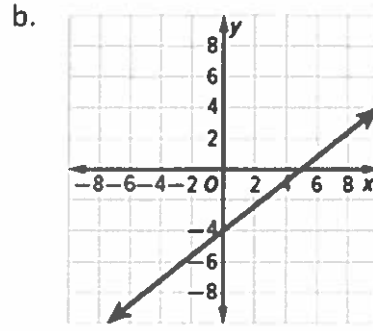
N

# Discrete and Continuous Functions Notes (Part 1)

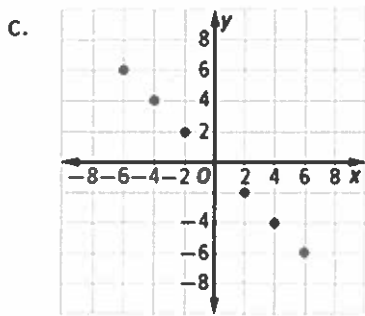
4. Determine which graphs below are continuous, discrete, or neither.



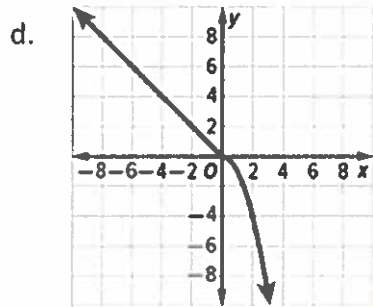
N



C

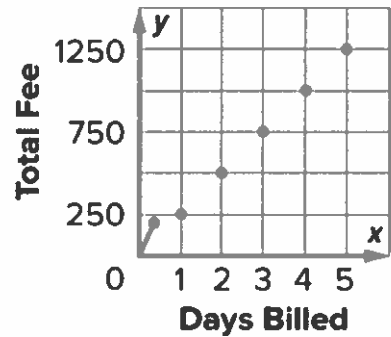


D

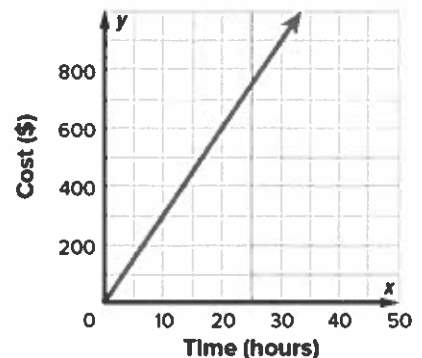


C

5. As a private investigator, Tia charges \$25 per hour for any amount of time up to eight hours and then a flat rate of \$250 per day. Use the graph to determine if the function that models this situation is *discrete*, *continuous*, or *neither*.



6. Imani pays \$30 per hour, for any part of an hour, for her weekly piano lessons. Use the graph to determine if the function that models this relationship is *continuous*, *discrete*, or *neither*.



# Identifying Linear Functions by Graphing

7. Fernando uses a garden hose to fill his empty pool. The table shows the amount of water in the pool after every five minutes.

Time (min)	Water (gal)
5	60
10	120
15	180
20	240
25	300

I: (x) Time  $\frac{y}{x}$   
 D: (y) Gal.

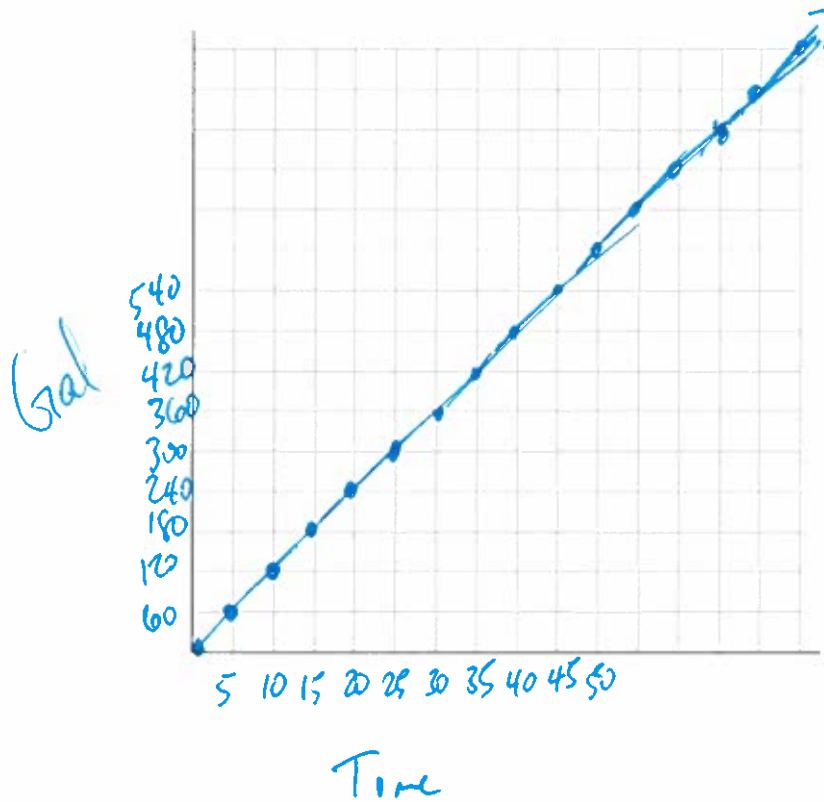
a. Is this situation linear?

$$\frac{\Delta y}{\Delta x} = \frac{60}{5} = \frac{12}{1}$$

Straight line: Slope

Yes

b. Graph it.



# Identifying Linear Functions by Graphing

8. Marta is driving from Seattle, Washington, to Dallas, Texas. She records the distance traveled after various numbers of hours in a table.

Time (hours)	2	3	5	6	9	10	11
Distance (miles)	86	129	218	261	389	389	475

*Handwritten annotations: Red arcs above the table connect (2,86) to (3,129), (3,129) to (5,218), (5,218) to (6,261), (6,261) to (9,389), (9,389) to (10,389), and (10,389) to (11,475). Red numbers 1, 2, 1, 3, 1, 1 are written above these arcs. Below the table, red arcs connect (2,86) to (3,129) with '43' below, (3,129) to (5,218) with '89' below, and (9,389) to (10,389) with '0' below.*

a. Is this function linear?

No

*Slope:  $\frac{y}{x} = \frac{\text{miles}}{\text{Hour}} = \frac{43}{1}$*   
 $\frac{89}{2} = \frac{44.5}{1}$

b. Describe its continuity.

Continuous